

# Testing the dark origin of neutrino masses with oscillation experiments

Hong-Yi Zhang Tsung-Dao Lee Institute, Shanghai Jiao Tong University

> @ PLANCK 2025, Padova May 27, 2025

A. Cheek, L. Visinelli and H.-Y. Zhang 2503.08439

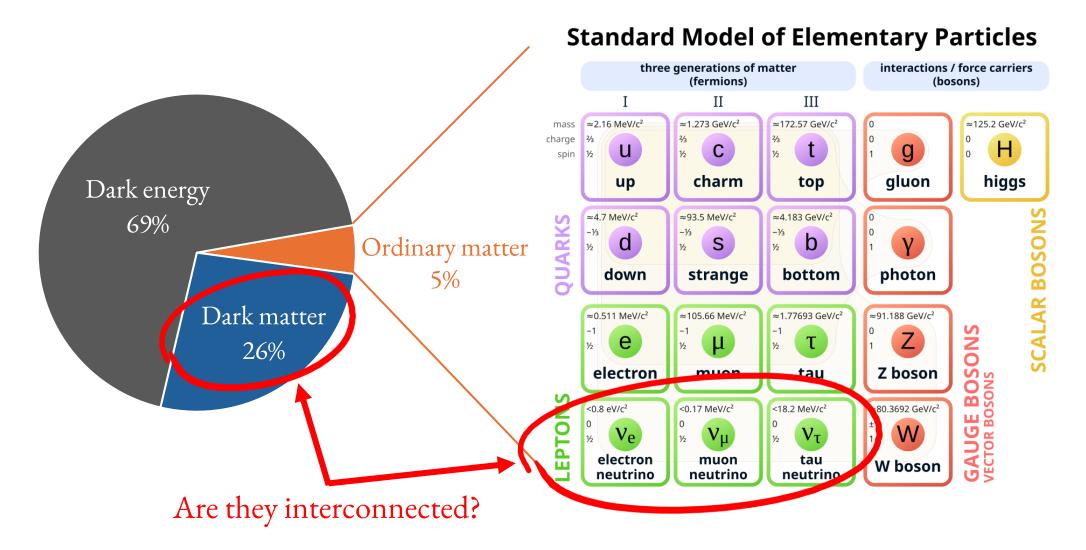


Andrew Cheek Tsung-Dao Lee Institute

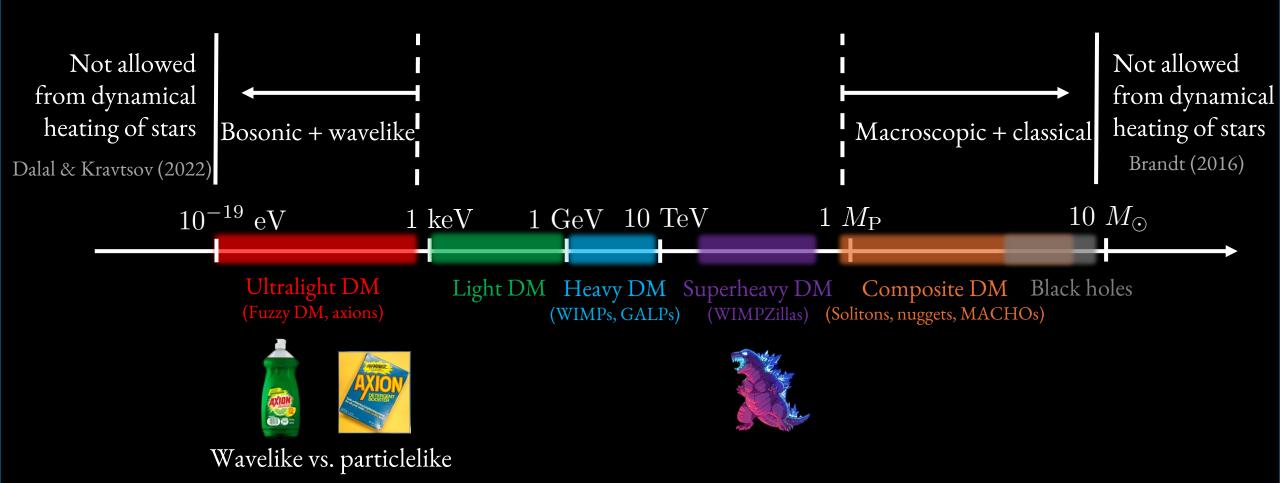


Luca Visinelli Università degli Studi di Salerno

#### Standard model of cosmology and particle physics



#### Dark matter mass landscape



## Ultralight dark matter

► Large occupation number → Classical fields

$$n\lambda_{\rm dB}^3 \sim \left(\frac{40 \text{ eV}}{m}\right)^4 \sim 3 \times 10^{82} \left(\frac{10^{-19} \text{ eV}}{m}\right)^4$$

➤ Macroscopic/astrophysical scales

$$\lambda_{\rm dB} \sim 50 \ \mu {\rm m} \left( \frac{40 \ {\rm eV}}{m} \right) \sim 0.6 \ {\rm pc} \left( \frac{10^{-19} \ {\rm eV}}{m} \right)$$

Wave dynamics, rich phenomenology

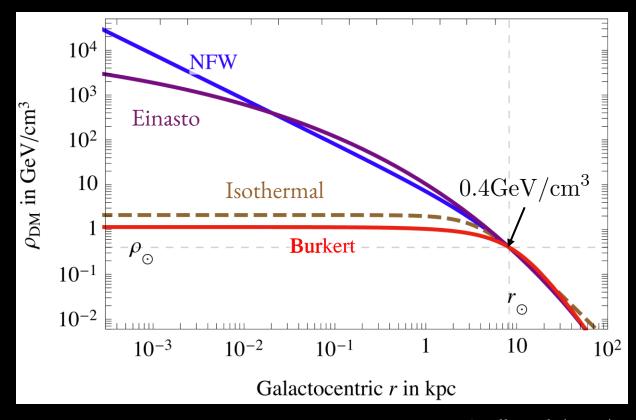
Suppressed small-scale structure, interference, Bose-Einstein condensates, polarization, modulations of standard model "constants", etc.



#### Density profiles and fluctuations

Wave interference, causing  $\gtrsim \mathcal{O}(1)$  fluctuations in local density.

$$\phi(t, \boldsymbol{x}) \simeq \phi_0(\boldsymbol{x}) \cos(m_{\phi}t)$$
 $L \ll \lambda_{\mathrm{dB}}: \phi_0(\boldsymbol{x}) \approx \phi_0$ 
 $L \gg \lambda_{dB}: \mathrm{stochastic} \phi_0(\boldsymbol{x})$ 



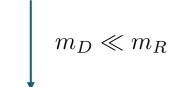
Cirelli et al. (2024)

#### Neutrino masses and the seesaw mechanism

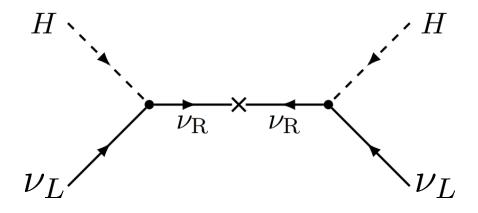
$$\mathcal{L} \supset -m_D \bar{\nu}_D \nu_D - \frac{1}{2} m_R \overline{\nu_M^c} \nu_M + h.c.$$
$$\nu_D = \nu_L + \nu_R \ , \quad \nu_M = \nu_R + \nu_R^c$$

Mass matrix for  $\nu_L, \nu_R$ 

$$\mathcal{M}_{\nu} = \begin{pmatrix} 0 & m_D \\ m_D & m_R \end{pmatrix}$$



$$m_l \simeq \frac{m_D^2}{m_R} \; , \; \; m_h \simeq m_R$$



 $\nu_L$ : Left-handed neutrino

H: Higgs

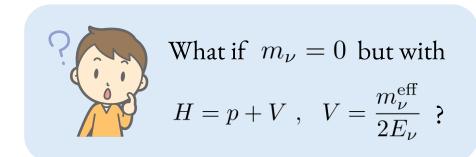
 $\nu_R$ : Right-handed neutrino

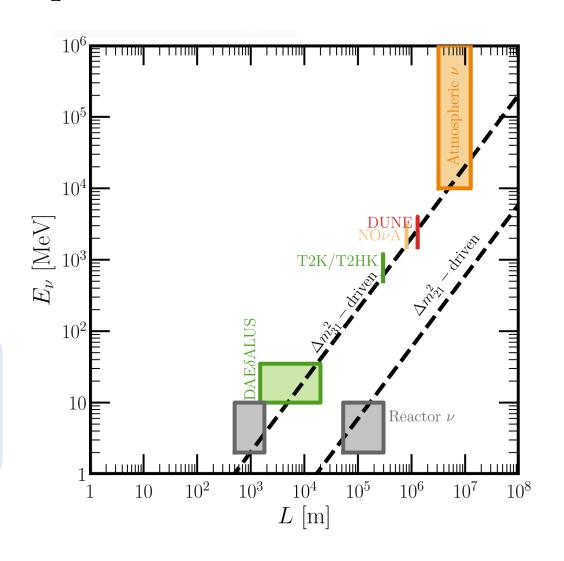
#### Vacuum neutrino masses as an explanation of oscillation data

$$H = \sqrt{p^2 + m_\nu^2} \approx p + \frac{m_\nu^2}{2E_\nu}$$

$$|\nu_i, t\rangle = e^{-iHt} |\nu_i\rangle$$

Oscillation phase 
$$\propto \frac{\Delta m_{ij}^2 L}{E_{\nu}}$$





For specific realization of "dark" neutrino mass, see:

Capozzi, Shoemaker and Vecchi (2018)

Choi, Chun and Kim (2020)

Huang, Lindner, Martinez-Mirave and Sen (2022)

ChoeJo, Kim and Lee (2023)

Sen and Smirnov (2024)

Lee (2024)

Plestid and Tevosyan (2024)

## Tests with oscillation experiments

Aiming for the entire ultralight (wavelike) mass range  $10^{-19} \text{eV} \lesssim m_{\phi} \ll 10 \text{eV}$ 

#### Several time and length scales



Parametrization for mass-squared difference:  $\Delta m_{ij}^2 = \Delta m_{ijD}^2(\boldsymbol{x}) \cos^2(m_{\phi}t)$ 

Oscillation period: 
$$T_{\phi} = \frac{\pi}{m_{\phi}} = 5.7 \text{hr} \left( \frac{10^{-19} \text{eV}}{m_{\phi}} \right)$$
 Time-averaged probabilities Typical duration of oscillation experiments:  $T_{\text{exp}} \gtrsim \mathcal{O}(10) \text{days}$ 

Dark matter coherence length: 
$$\lambda_{\rm dB} = 1.24 {\rm au} \left(\frac{10^{-14} {\rm eV}}{m_\phi}\right) \left(\frac{200 {\rm km/s}}{v}\right)$$
 Space-averaged probabilities for Crossing distance of Earth during an experiment:  $l_{\oplus} = 1.16 {\rm au} \left(\frac{T_{\rm exp}}{10 {\rm days}}\right) \left(\frac{v_{\oplus}}{200 {\rm km/s}}\right)$   $m_{\phi} \gg 10^{-14} {\rm eV}$ 

## Strategy



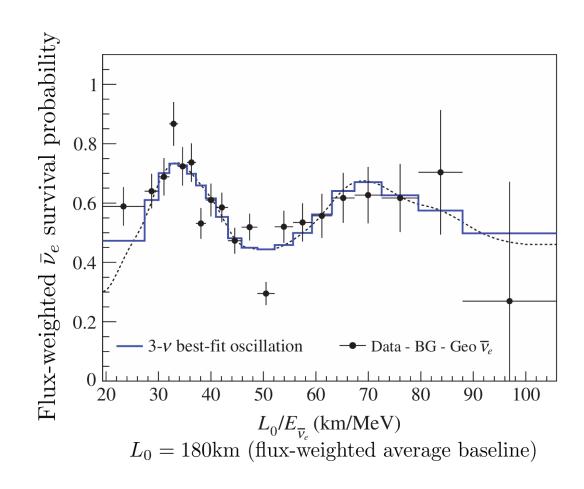
For  $m_{\phi} \ll 10^{-14} \text{eV}$ , DM field has constant amplitude during an experiment:

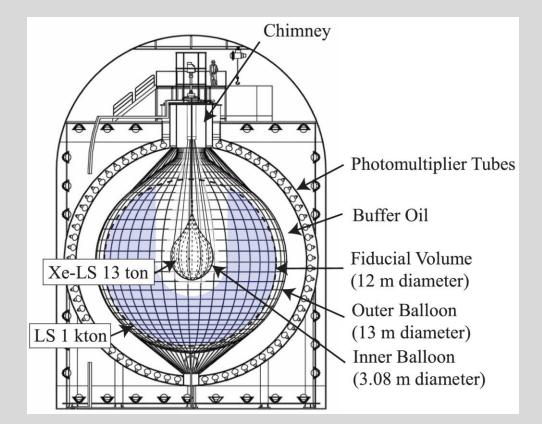
- 1. Find time-averaged formulae for flavor oscillations
- 2. Fit the formula with oscillation data (e.g., KamLAND)

For  $m_{\phi} \gg 10^{-14} {\rm eV}$ , DM field has stochastic amplitudes in different de Broglie patches:

- 1. Model spatial fluctuations of ultralight dark matter
- 2. Take spatial average of the time-averaged formula
- 3. Compare the formula with oscillation data (if needed)

## Long-baseline reactor experiment: KamLAND





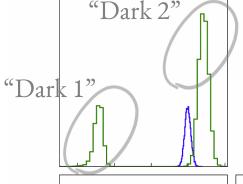
Located at 1km underground, Hida, Japan Detected antineutrinos from >50 reactors (before 2013) Sensitive to  $\Delta m^2_{21}$ ,  $\theta_{12}$ ,  $\theta_{13}$ 

#### Chi-square analysis

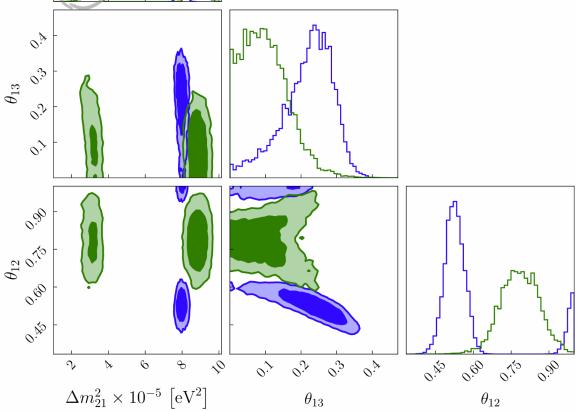
Time-averaged survival probability:

$$P_{\text{ee}} = 1 - \frac{1}{2}\cos^4\theta_{13}\sin^2(2\theta_{12})[1 - J_0(X_{21D})\cos X_{21D}]$$
$$-\frac{1}{2}\sin^2(2\theta_{13})[1 - J_0(X_{32D})\cos X_{32D}]$$

$$X_{ijD} = \frac{\Delta m_{ij}^2 L}{4E_{ij}}$$
,  $J_0(x)$  is Bessel function



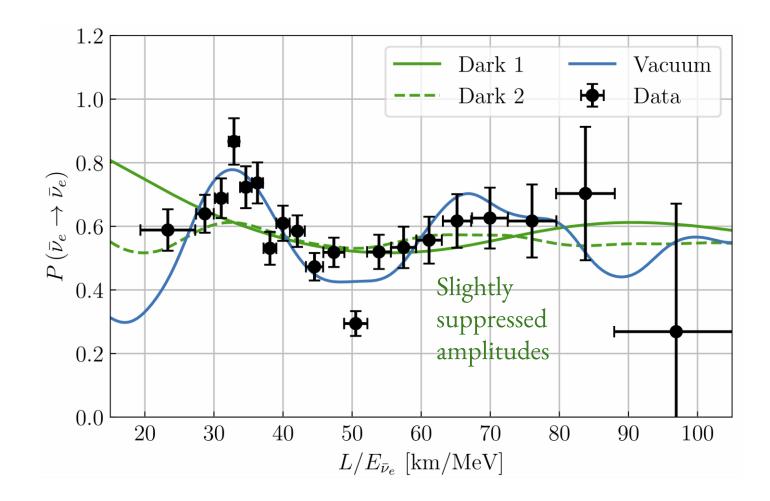
Parameter	Vacuum	Dark
$\Delta m_{21}^2 \times 10^{-5}  \mathrm{eV}^2$	$7.98^{+0.17}_{-0.16}$	$8.72^{+0.34}_{-5.50}$
$ heta_{12}$	$0.23^{+0.06}_{-0.08}$	$0.09^{+0.07}_{-0.06}$
$ heta_{13}$	$0.53^{+0.06}_{-0.04}$	$0.78^{+0.08}_{-0.07}$
color	Blue -	Green■



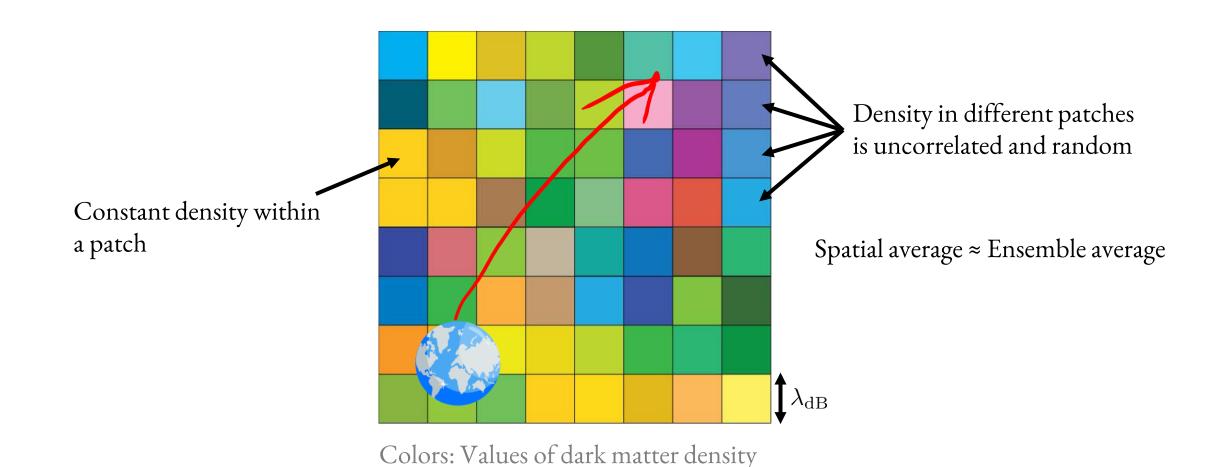
### Survival probabilities with best-fit parameters

 $\chi^{2}_{\text{min,vac}} = 35.5$   $\chi^{2}_{\text{min,dark}} = 61.7$ 

Vacuum (constant) mass is favored at  $4.5\sigma$ 



#### Earth crossing through different de Broglie patches



#### Suppressed oscillation behaviors

$$P_{\text{ee}} = 1 - \cos^4 \theta_{13} \sin^2(2\theta_{12}) F_{21} - \sin^2(2\theta_{13}) F_{32}$$

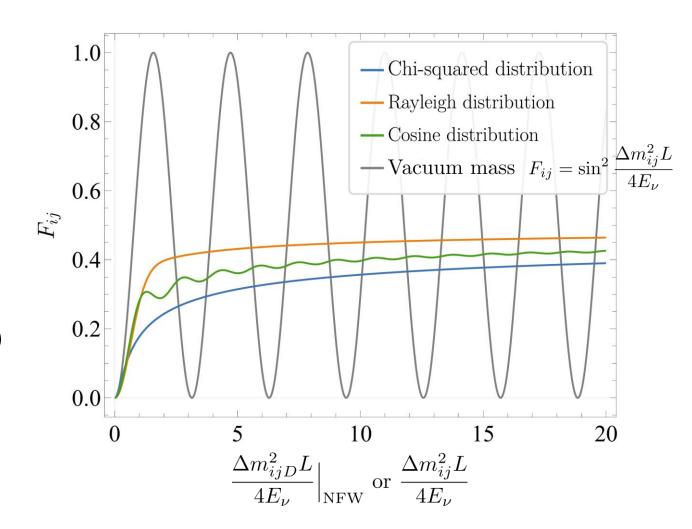
Time-averaged component:

$$F_{ij} = \frac{1}{2} \left[ 1 - J_0 \left( \frac{\Delta m_{ijD}^2 L}{4E_{\nu}} \right) \cos \left( \frac{\Delta m_{ijD}^2 L}{4E_{\nu}} \right) \right]$$

Distributions of mass-squared differences in different de Broglie patches:

$$\frac{\Delta m_{ijD}^2}{\Delta m_{ijD}^2|_{\text{NFW}}} \sim \chi^2(1)$$
, Rayleigh,  $1 - \cos(k_\theta \theta)$ 

Flavor oscillations in terms of distances are suppressed in a model-independent way!



#### Conclusions





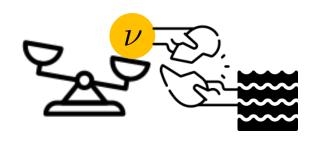
For  $10^{-19} \lesssim m_{\phi} \ll 10^{-14} \text{eV}$ ,

KamLAND disfavors "dark" neutrino mass by more than  $4\sigma$ .

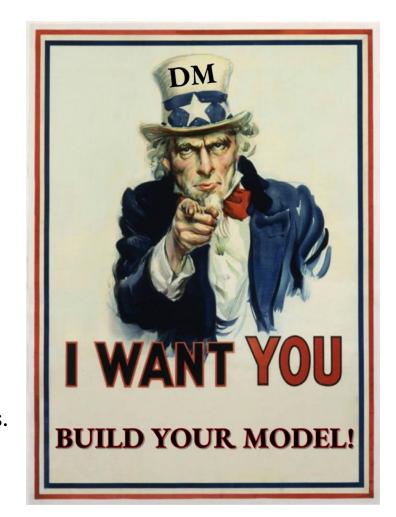
For  $10^{-14} \text{eV} \ll m_{\phi} \ll 10 \text{eV}$ ,

Stochastic DM fluctuations suppress neutrino oscillations.

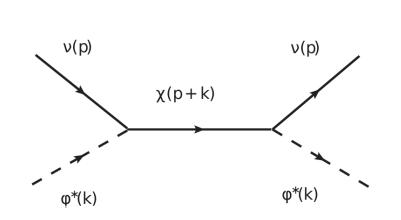
➤ Ultralight/wavelike dark matter is unlikely to account for neutrino mass.

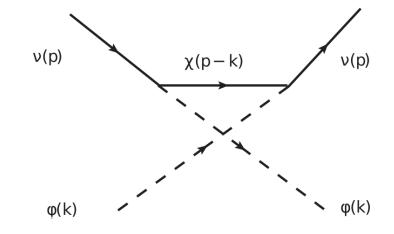






#### A specific realization of "dark" neutrino mass





 $\nu$ : Neutrinos

 $\chi$ : Fermionic mediators

 $\varphi$ : Scalar dark matter

 $\nu, \chi$  have zero bare mass

Cold gas of dark matter particles: (Forward scattering)

$$m_{\nu}^2 \propto \frac{\rho_{\phi}}{m_{\phi}^2} \frac{y(y-\epsilon)}{y^2-1} \ , \ \ y = \frac{2E_{\nu}m_{\phi}}{m_{\chi}^2} \ , \ \ \epsilon = \frac{n_{\phi} - \bar{n}_{\phi}}{n_{\phi} + \bar{n}_{\phi}}$$

Classical scalar field background:

$$m_{
u}^2 \propto \frac{
ho_{\phi}}{m_{\phi}^2} \cos^2(m_{\phi}t)$$

 $m_{\nu}^2 \propto \frac{\rho_{\phi}}{m_{\perp}^2} \cos^2(m_{\phi}t)$  (Relevant to ultralight dark matter)

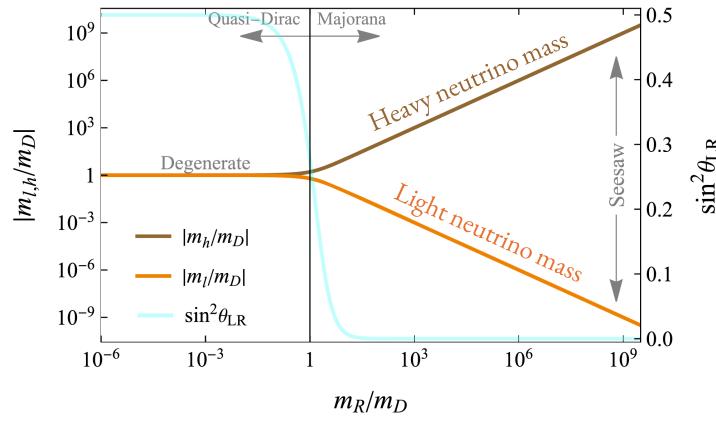
#### Another realization of "dark" neutrino mass

#### Late universe ← Early universe

$$\mathcal{L} \supset -m_D \bar{\nu}_D \nu_D - \frac{1}{2} m_R \overline{\nu_M^c} \nu_M + h.c.$$

If the Majorana mass is due to couplings to dark matter:

$$m_R = g\phi_0 \cos(m_\phi t)$$



$$\begin{pmatrix} 
u_l \\

u_h 
\end{pmatrix} = \begin{pmatrix} \cos \theta_{LR} & \sin \theta_{LR} \\
-\sin \theta_{LR} & \cos \theta_{LR} \end{pmatrix} \begin{pmatrix} 
u_L^c \\

u_R \end{pmatrix} + \text{H.c.}$$

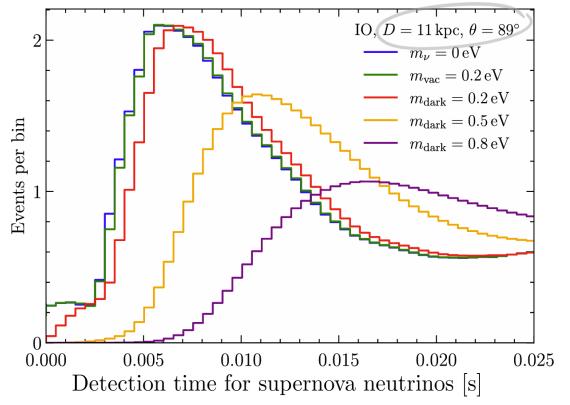
#### Testing the mass origin with supernova neutrinos

Rate for galactic core-collapse supernovae is low,  $\sim O(1)$ /century Adams et al. (2013)

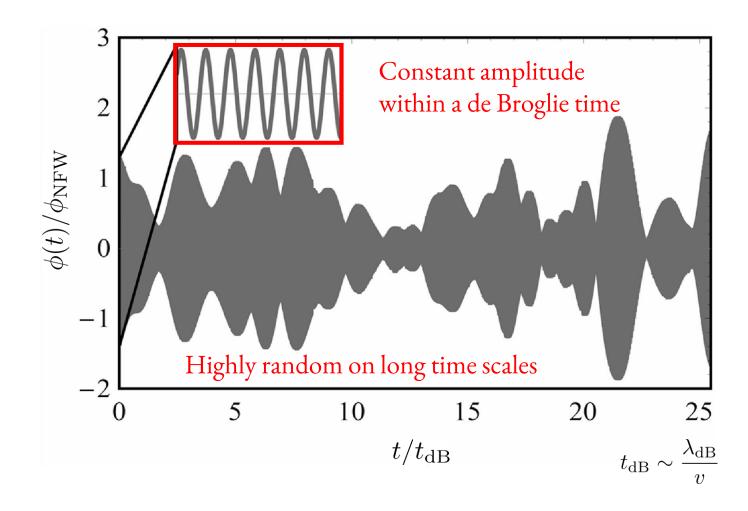
Arrival time delay effect is pronounced for:

- Large "dark" mass
- Supernovae near galactic center (even lower rate)

Neutrinos crossing galactic center



## Stochastic fluctuations for ultralight dark matter



Centers et al. (2021)